



Jet power what do you do with it?

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Overview

- Hydrodynamic simulation: Fanaroff-Riley class I and II jets
- Power channels: cavity, cocoon, shocks
- Interaction of a jet with a gaseous galactic disk

Fanaroff-Riley class II

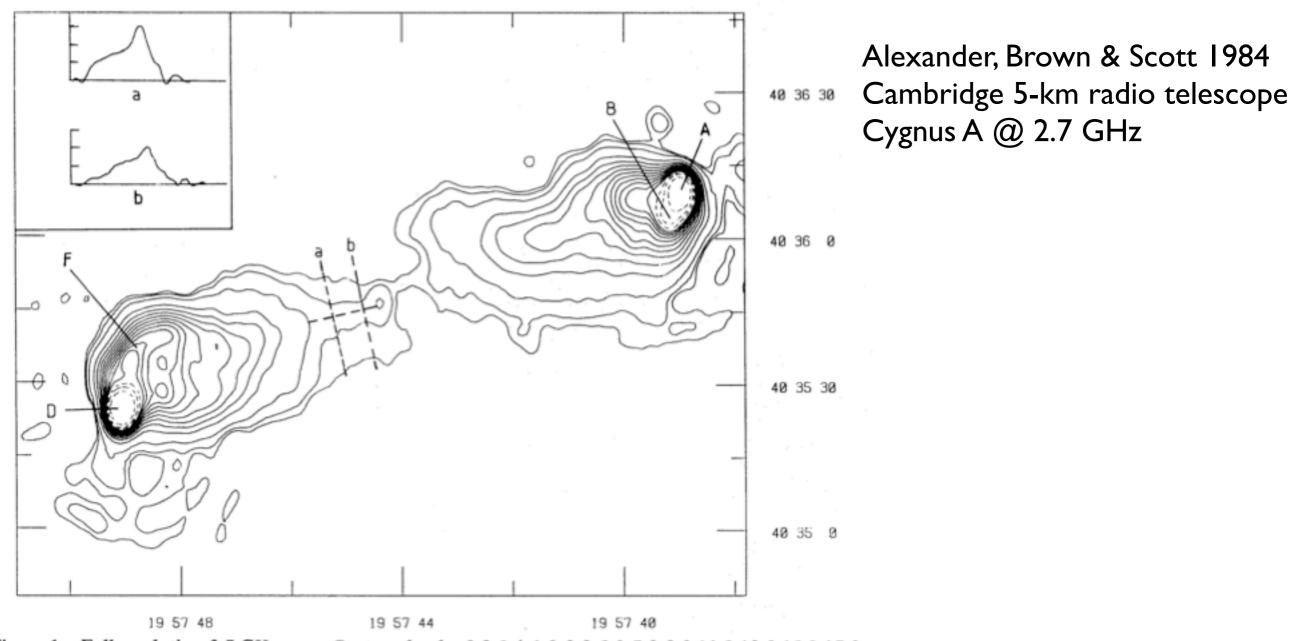


Figure 1a. Full-resolution 2.7-GHz map. Contour levels: 0.2 0.4 1.0 3.0 5.0 7.0 9.0 11.0 13.0 15.0 17.0 19.0 21.0; dashed: 25.0 30.0 40.0 Jy/beam. The inset shows two south to north cross-sections through the bridge between the Sf lobe and the central component. The marks are at intervals of 250 mJy/beam. Residual small phase errors are responsible for the lower dynamic range (600:1) near to the hotspots

Wide lobes / cocoons: very light jets

The Large-Scale Structure, Dynamics and Thermodynamics of Cygnus A.

By P. Alexander & G.G. Pooley

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$$\frac{\rho_j}{\rho_0} \approx \frac{1}{\beta^2} \left(\frac{A_j}{A_l}\right)^2 \left(\frac{p_{HS}}{p_l}\right)^{2/\gamma} \left(\frac{\gamma+1}{\gamma-1}\right)$$

For Cygnus we can estimate values as follows: ratio of jet to lobe cross-sectional areas is $A_j/A_l \approx 10^{-4}$, the hotspot to lobe pressure ratio is $p_{HS}/p_l \approx 10$, and for a relativistic equation of state $\gamma = 4/3$. These values imply that the jet is very light.

$$\frac{\rho_j}{\rho_0} \approx 4 \times 10^{-5}.$$

This result, that the jet is very light, is a direct consequence of the need to conserve momentum and inflate a lobe/cocoon which is much wider than the jet. We can of course speculate on the composition of the jet plasma — a good way of obtaining such a light jet and keep the jet as efficient as possible is for the jet material to be an electronpositron plasma. We can certainly say from the above analysis that the jet must be a fluid jet and not ballistic, at least by the time it has reached the lobe. Numerical models confirm: lighter (& faster) jets -> wider cocoons

- e.g. Norman et al. 1983
- parameters: $\eta = \rho_j / \rho_a$, M: int. Mach
- gen.
 agreement /
 source
 structure

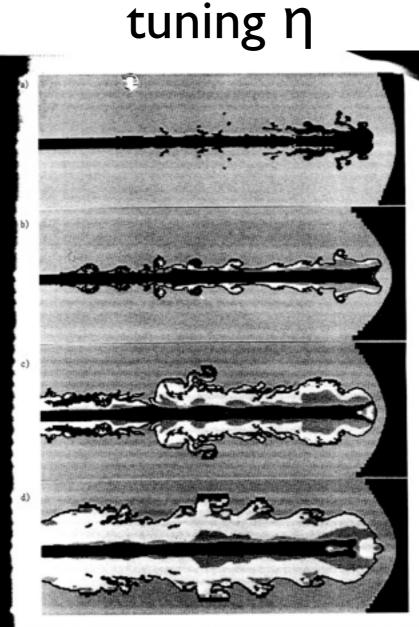


Figure 15. Naked beams and thick cocoons: a sequence of Mach 6 jets hi different densities. $a)\rho_b/\rho_m = 10$, b) $\rho_b/\rho_m = 1$, c) $\rho_b/\rho_m = 0.1$, d) $\rho_b/\rho_m = 0.01$. Backflow (white regions) is stronglydependent on den

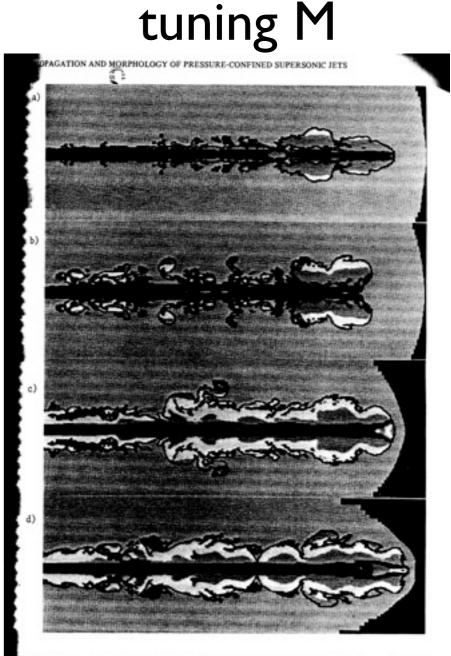


Figure 16. Lobes and unstable cocoons: a sequence of $\rho_b/\rho_m = 0.1$ jets having different Mach numbers. a) $M_b = 1.5$, b) $M_b = 3$, c) $M_b = 6$, d) is a strangly dependent on Mach number.

Simulations of very light jets

[Krause 2005, A&A 431, 45]

- dens. ratio I: 10,000 (initially)
- isothermal King profile
- gravity of Cygnus A cluster
- code Nirvana, 2D axisym

cocoon width about 20 jet radii
 wide bow shocks
 sideways bow shock pressure driven

Example Simulation, 2D, $\eta_0 = 10^{-4}$: X-ray isophotes

Shocked external gas region becomes wide for low jet density and late times

-> X-ray cavities, Elliptical X-ray isophotes

X-ray emission at t=20 Myr 3.82 30 3.10 20 10 R [kpc] erg/cm^z 2.38 0 -101.66 -200.94 -30-2040 -4020 0.22 ^{Z [kpc]}Cavity power: 16 % of jet power [Krause 2005, A&A 431, 45]

Sideways expansion: blast wave solutions for all density profiles

- blastwave derivation: force ballance at bow shock:
- general solution in Krause
 2003 & 2005:
- constant density (here: L=power)
- example: beta profile

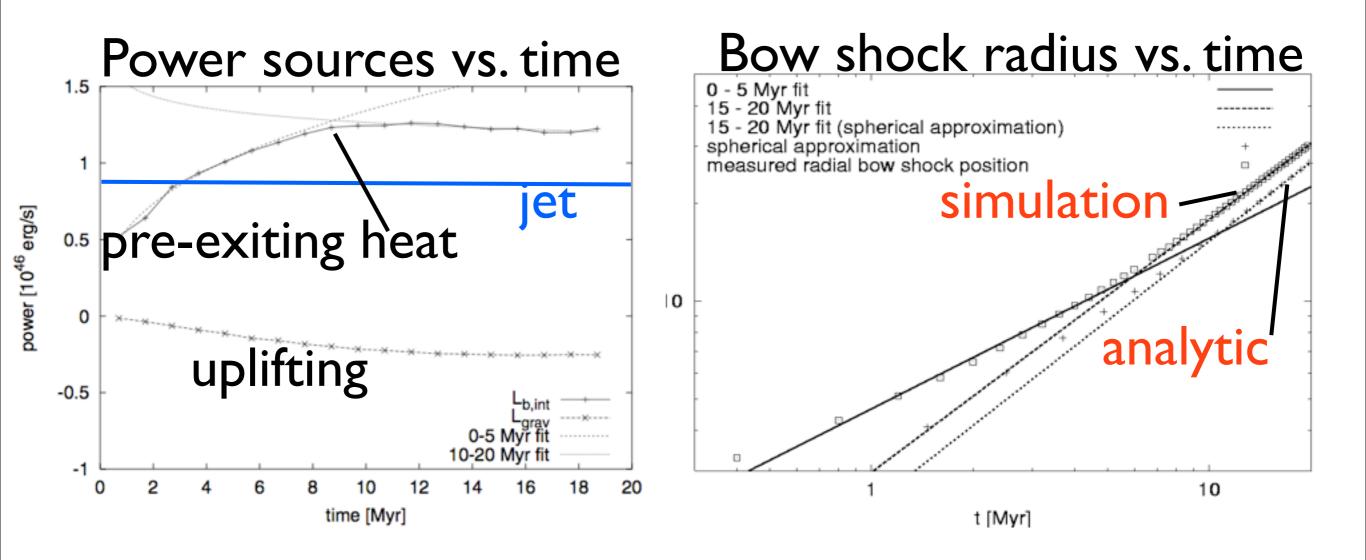
$$\frac{\partial}{\partial t} \left(\mathcal{M} v \right) = S \left(p_{\text{int}} - p_{\text{ext}} \right)$$

$$\int_{0}^{r} \mathcal{M}(r) r dr = 2 \int_{0}^{t} dt_{1} \int_{0}^{t_{1}} E(t_{2}) dt_{2}.$$

$$r = \left(\frac{5L}{4\pi\rho_0}\right)^{1/5} t^{3/5}$$

$$\begin{aligned} \mathbf{e} \qquad \rho(r) &= \rho_0 \left(1 + \left(\frac{r}{r_0} \right)^2 \right)^{-3\beta/2} \quad t = \sqrt[3]{\frac{12\pi\rho_0 r_0^5}{\mathcal{L}}} Y \\ Y &= \begin{cases} \frac{1}{8}x(A^3 + A/2) - \frac{1}{4}\operatorname{arcsinh}(x)B \\ \frac{1}{2}\left(\frac{2}{3}xC - \operatorname{arctan}(x)A^2\right) \\ \frac{1}{2}\operatorname{arcsinh}(x)C - \frac{3}{4}xA \end{cases} \quad \text{for } 3\beta = \begin{cases} 1 & A = \sqrt{1+x^2} \\ 2 & B = 3/4 - x^2 \\ 2 & C = 3/2 + x^2 \\ 3 & x = r/r_0. \end{cases} \end{aligned}$$

Check shock power



• L=L_jet + L_pre-existing - L_uplift

• Bow shock measurement overestimates L by \approx 60%

Power determinations

Source	log(Q ₀ / erg/s), authors	log(Q ₀ / erg/s), this method	log(Q ₀ t/ erg), authors	log(Q ₀ t/ erg), this method
Cygnus A Wilson et al. 2006	46.1	>47.2	61.1	>62.3
MS 0735.6 +7421 Mc Namara et al. 2005	46.2	45.9	61.8	61.4

Simulations of very light jets

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[Krause 2005, A&A 431, 45]

Problem: beam stability: FR II→I transition? No, stability related to: - non-rel. approx - neglect of magnetic fields - know from obs: there are large FR II jets!

Hercules A - a transition object

Gizani et al. 2004

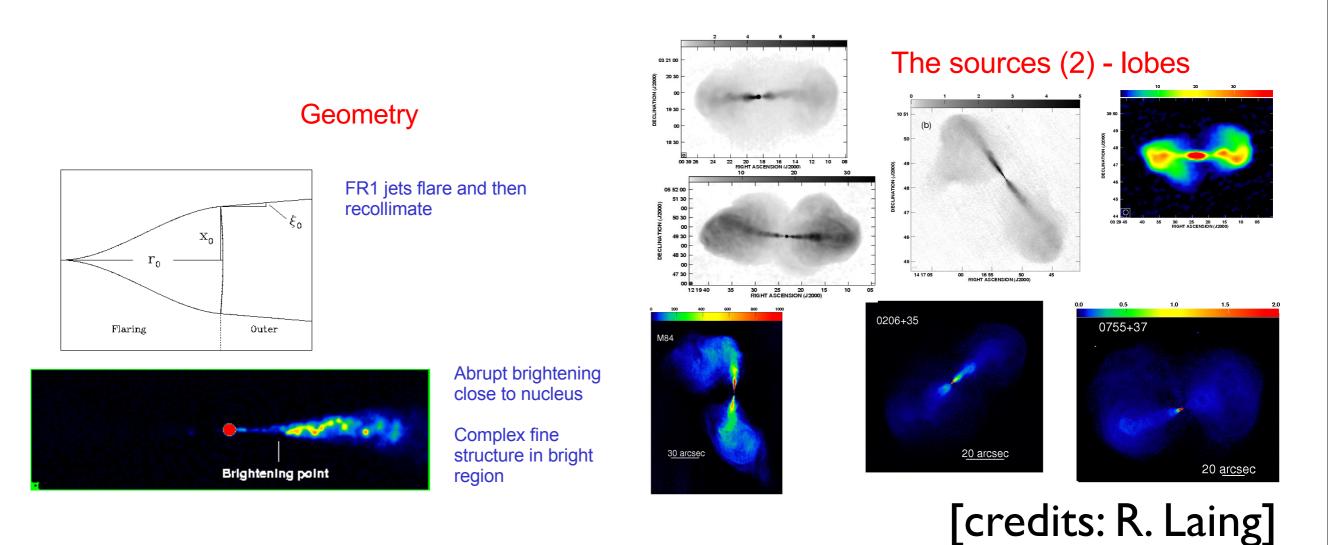
Hercules A, X-ray contours + radio image

transition object

unstable beam as in sim on slide before?

Fanaroff-Riley class I

- lower radio luminosity
- morphology related to jet power and environment



[Alexander 2006, Krause Alexander & Riley in prep.]

Collimation (or not) by ambient pressure

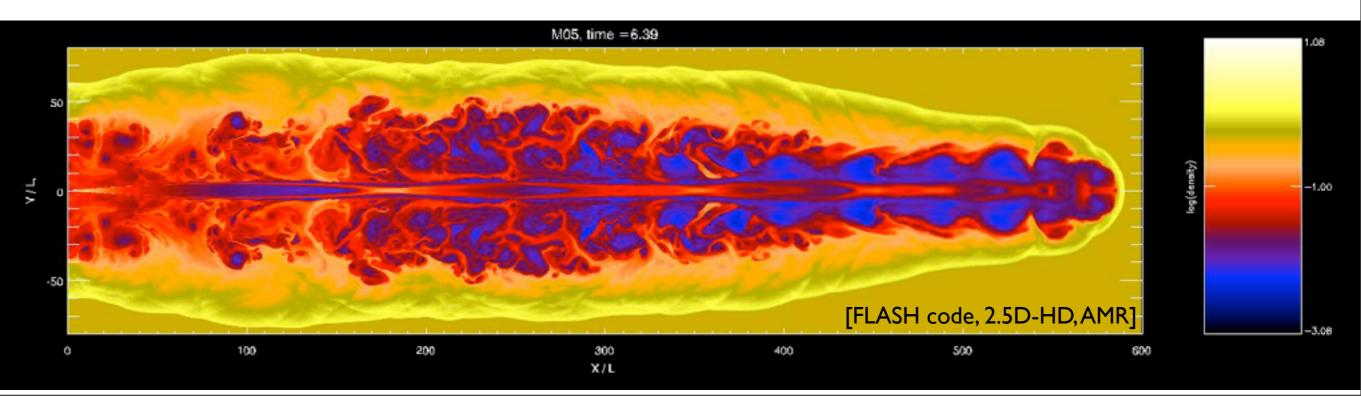
- Initially conical beam, density & ram pressure $\propto r^{-2}$
- 3 parameters: solid angle Ω, external Mach number
 M-ext, scale L1

Length-scale	formula	symbol	assoc. transition a
Inner	$\left(\frac{8Q_0}{\rho_{\rm x}v_{\rm j}^3}\right)^{1/2}$	L_1	
Recollimation	$\gamma^{1/2} M_x \sin \theta L_1 / (2 \Omega^{1/2})$	L_{1a}	x_{1a} sideways ram press. = amb press.
Cocoon formation	$L_1/(2\Omega^{1/2})$	L_{1b}	x_{1b} jet density = amb. density
Terminal shock limit	$\gamma^{1/2} M_{\rm x} L_1 / (2 \Omega^{1/2})$	L_{1c}	x_{1c} forw. ram press. = amb. pressure
Outer	$\left(\frac{Q_0}{\rho_{\rm x}c_{\rm x}^3}\right)^{1/2}$	L_2	

FR II recipe

- Ist: form cocoon (LIb)
- 2nd: collimate (LIa)
- 3rd: have terminal shock (LIc)
- i.e. arrange: LIb < LIa < LIc
- Density ratio set by current external Mach number:

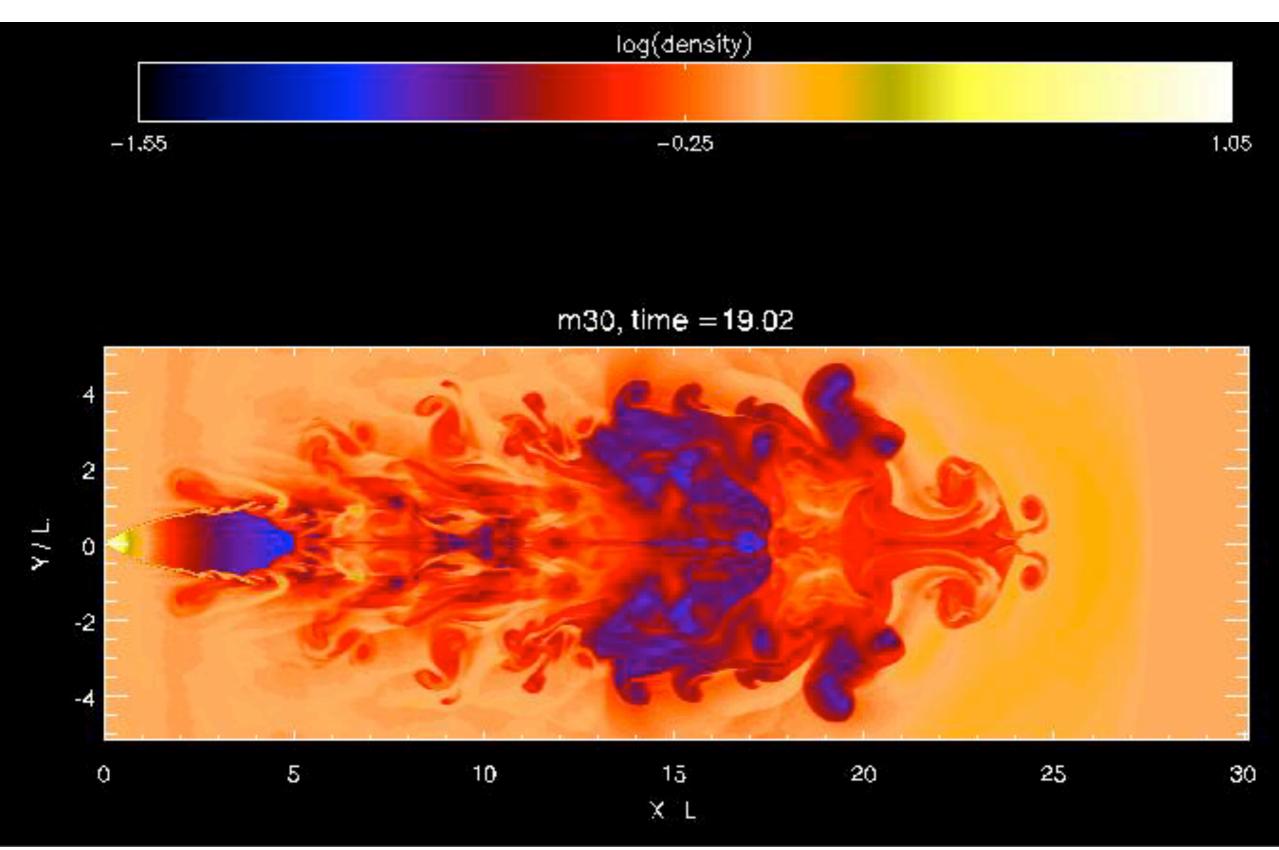
$$\eta = \left(\frac{L_{1b}}{L_{1a}}\right)^2 = \frac{1}{\gamma \sin^2 \theta M_x^2}$$



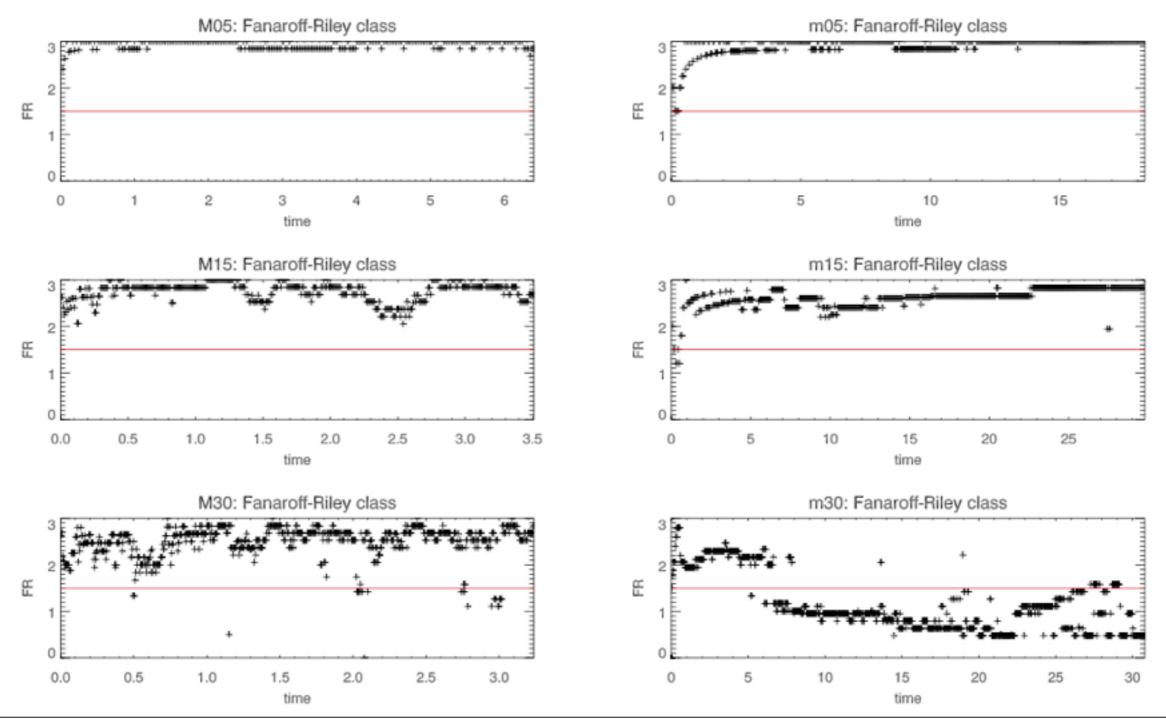
Simple minded FR I recipe

- Ist: form cocoon (LIb)
- 2nd: have terminal shock
- 3rd: (try to) re-collimate

Simple minded FR I

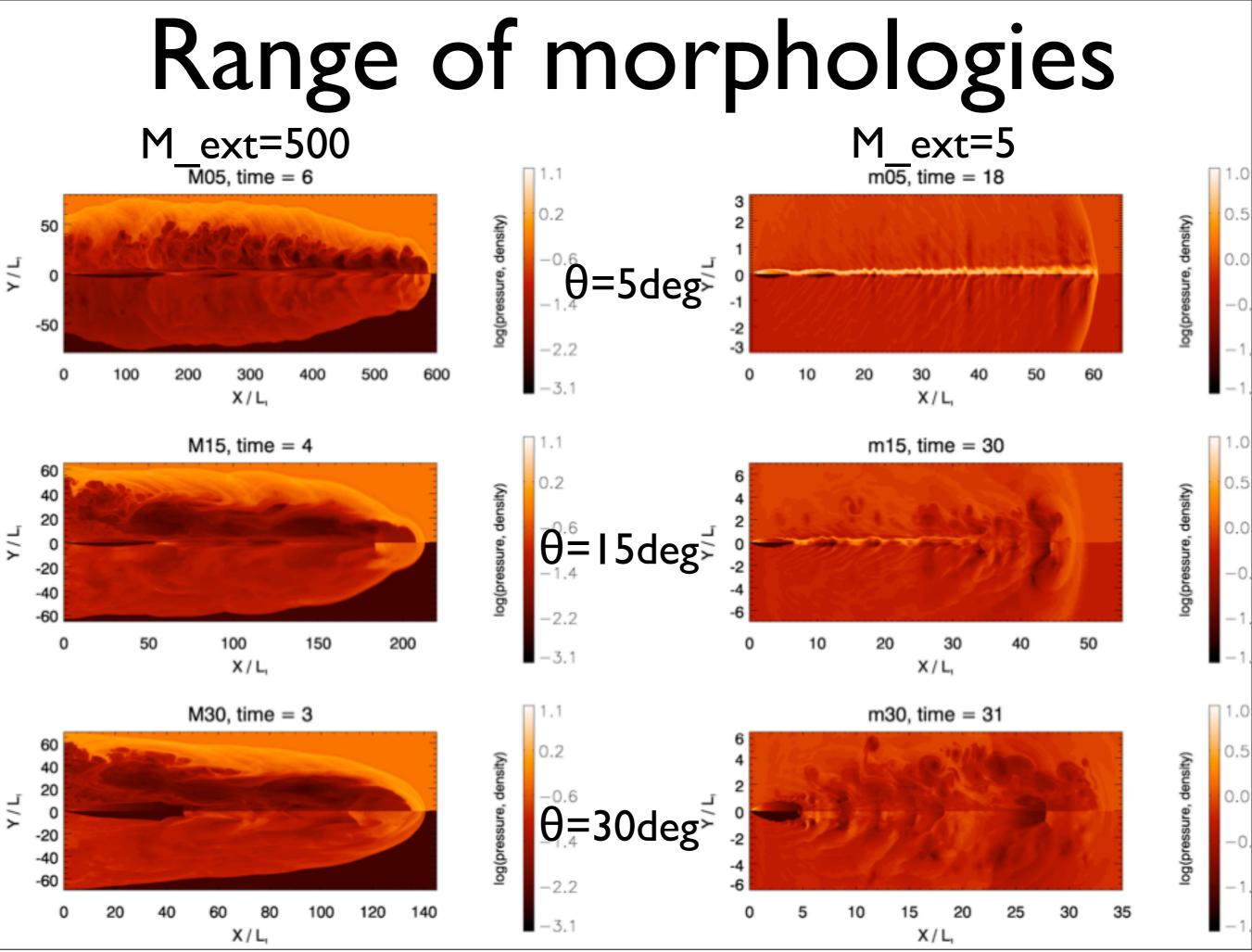


FR class vs. time em=div(v) p^{1.8}

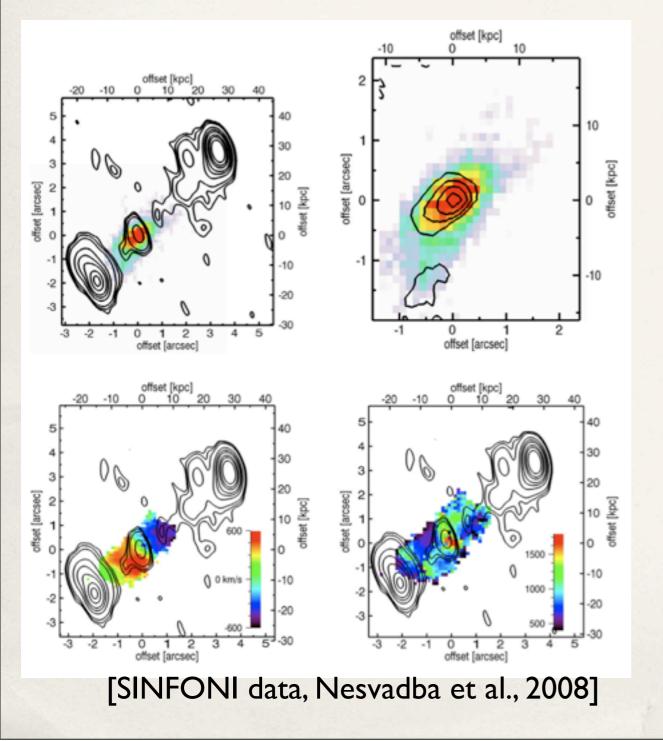


Advanced FR I recipe

- From scales: all lobed sources have FR II phase
- critical for forwardly oriented cocoon: <u>entrainment</u>
- here: entrainment works well because we set parameters to get moderately underdense jet by M-ext=5, realistic: a few 100 (diffcult in sim.)
- real sources: cocoon instability/ Rayleigh-Taylor (Kaiser & Best 2007)



High redshift radio galaxies



• z= 2-7

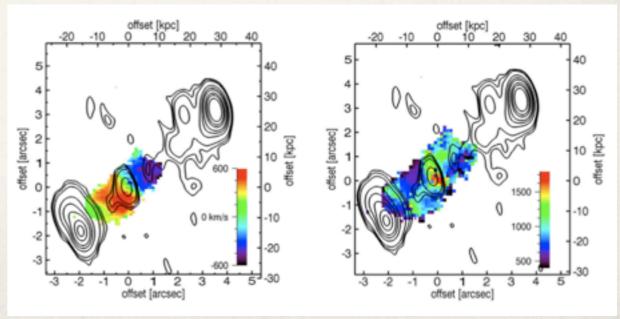
- >10¹⁰ Msun in gas
- massive host galaxies
- powerful radio sources
- < 100kpc EL haloes, radio aligned</p>
- FWHM: 1000 km/s, supergravitational
- bulk outflow: 500 km/s

[Krause & Gaibler 2009, Krause & Alexander 2007]

Key: energy & momentum balance

- Compare parameters from X-ray data:
- Momentum:
 - * $P_{elg}=10^{51} \text{ g cm s}^{-1} M_{elg,10} v_{elg,500}$
 - * $P_{jet}=10^{48} \text{ g cm s}^{-1} M_{jet,4} (\Gamma/3)$
- * Energy:
 - * $E_{elg}=10^{58} erg M_{elg,10} v_{elg,500}^2$
 - * Ejet≈10⁶¹ erg

- Cocoon momentum cannot produce bulk speeds
- Energy flux sufficient
- thermal instability induced turbulence (Kritsuk & Norman 2002,2004)?



[Gaibler Khochfar & Krause, MNRAS accepted]

Q0=6 10⁴⁵ erg/s M_dsk=10¹¹ Msun RAMSES code 3D HD AMR

3D Jet - Disk Interaction

- strong impact on disk

- jet power on the small side

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Conclusions

- Jet power:
 - drives shocks into ambient gas
 - inflates cocoons
 - determines position of flaring point
 - expels cold ISM
- Can use these tracers to measure it